

Calculation Policy

September 2025

Signed (Chair of Trustees):	
Date:	September 2025
Date of Review:	September 2026

Arbor Academy Trust reviews this policy annually. The Trustees may, however, review the policy earlier than this, if the Government introduces new regulations, or if the Trust receives recommendations on how the policy might be improved. This document is also available in other formats e.g. e-mail and enlarged print version, on request to the School Offices and is displayed on the schools' websites.

Addition

The Different Stages	Number Development	Strategy – What it Looks Like
Stage 1: Counting sets of object	Move on to combining	Strategy What it Dooks Like
Stage 2: Combining 2 sets of objects		For example 6 + 2 the children may get 6 cubes, then 2 more and count how many altogether.
Stage 3: Drawing pictures/dots – informal jottings. Then counting back	Single unit add single unit	= 5 $4 + 2 = 6 * * * * * + * *$
Stage 4: Counting on a number line with numbers on it.		3+2=5 0 1 2 3 4 5 6 7 8 9
Stage 5: Steps in addition may be recorded on an empty number line. Steps often bridge through a multiple of ten.	1) Partition smaller number into tens and units 2) Add on the tens – progress to multiples of ten 3) Add on the units and groups of units	34 + 23 = 57 $+10$ $+10$ $+1 + 1 + 1$ 34 44 $54 55 56 57$ $+10$ $+3$
		34 44 54 37

		Grouping tens 34 + 23 = 57	3
Stage 6: Partitioning tens	Move on to vertical	+20 $47 + 76 = (40 + 70) + (7 + 6) leading to$	57
and units horizontally (KS2 or when appropriate)	partitioning Tens and units and hundreds and tens and units.	= 110 + 13 $= 123$	
Stage 7: Partition numbers vertically in a column		$47 = 40 + 7$ $+ \underline{76} = 70 + \underline{6}$ $110 + 13 = 123$	

Stage 8: The numbers in		67 + 24
columns adding the units		67
first		<u>+ 24</u>
		11
		<u>80</u>
		<u>80</u> <u>9 1</u>
		131 + 209
		131
		+ <u>209</u>
		10
		30
		300
		340
Stage 9: Compact method –	Move on to adding with	587 + 475
where numbers get carried	decimals up to three	587
into the next column	decimal places	<u>+ 475</u>
		<u>1062</u>
		3587 + 675
		3587
		<u>+</u> <u>+</u>
		4262
		1 1 1

Subtraction

Number Development		Strategy – What it Looks Like
Practically get a group of ob	ojects and take so	ome away
	T	
	11-4=7	
	\\\/*\\\/*\\\/*	*/ * * * *
	X * X * X *	X
	6 - 3 = 3	
	0 1 2 3	4 5 6 7 8 9
	47 22 24	
	47 - 23 = 24	
		-1 -1 -1 -10 -10
	_	
		4 25 26 27 37 47
	47 - 23 = 24	
		-3 -10 -10
		24 27 37 47
	47 - 23 = 24	
		-3 -20
		24 27 47
	Number Development Practically get a group of ol	Practically get a group of objects and take so $ 11-4=7 \\ $

Stage 5: Partitioned numbers are then written under one another – this is how we start to introduce the column subtraction method (KS2 or when appropriate)	74 - 23 $7 0 + 4$ $2 0 + 3$ $5 0 + 1 = 51$	
Stage 6: Expanded decomposition (2 digit numbers) Leads to the shorter version of the column subtraction method. We always start with the units number	74 – 27 7 0 + 4 2 0 + 7	$ \begin{array}{r} 60 & 14 \\ 7 & 0 + 4 \\ \underline{2} & 0 + 7 \\ \hline 4 & 0 + 7 = 47 \end{array} $
Stage 6: Expanded decomposition (3 digit numbers)	741-367 7 0 0 + 4 0 + 1 3 0 0 + 6 0 + 7	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$
Stage 7: Compact Decomposition	74- 27 6	
	5008-1257 9 4	

Multiplication

The Different Stages	Number Development	Strategy – What it Looks Like
See Mental Calculation policy section to		
review gaps and progression in mental times		
table and division facts knowledge.		
Stage 1: Counting practically in repeated	Numbers up to 30	
groups/patterns.	2.5.10.1	
Stage 2: Grouping using pictoral	2,5 10 times tables	$\begin{vmatrix} 3 \times 2 = 6 \\ \wedge & \wedge & \wedge & \wedge \\ \end{vmatrix}$
representations		
Stage 3: Arrays	2,5 10 times tables	$3 \times 2 = 6$ or $2 \times 3 = 6$
		888
		$5 \times 3 = 5 + 5 + 5$
Stage 4: Repeated Addition	All times tables	$5 \times 3 = 5 + 5 + 5$
5 times 3 is 5+5+5=15 or 3 lots of 5 or 5x3 Repeated addition can be shown easily on a	TU x U	
number line.		
number me.		
		0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15
		$3 \times 3 - 3 + 3 + 3$
		5 5 5
Stage 5: Partitioning	TU x U	1 3 x 5 =
	HTU x U	$1 \ 0 \ x \ 5 = 5 \ 0 3 \ x \ 5 = 1 \ 5$
		5 0 + 1 5 = 6 5
Stage 6: Long Multiplication.	TU x U	3 8 x 7 = 2 6 6
The next step is to show the method of	TU x TU	30 + 8
recording in a column format but showing the	HTU x TU	$\frac{X}{\sqrt{2}}$
working. This links to the grid method above.	ThHTU x U	$\frac{56}{210}$ 8 x 7 = 56
		$\frac{210}{266} 30 \times 7 = 210$
		200

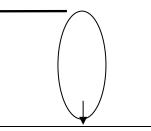
Children should describe what they do by saying the actual values of digits in the columns for example the first step in 3 8 x 7 is 30 multiplied by 7 not 3 x 7.		Leading to condensed version of long multiplication $ \begin{array}{r} 38 \\ x 7 \\ \hline 56 \\ \underline{210} \\ \underline{266} \end{array} $ 56x27 is approximately 60 x 30= 1800
		$ \begin{array}{r} 56 \\ \underline{X 27} \\ 1000 \\ 120 \\ 350 \\ \underline{42} \\ 1512 \\ 1 \end{array} $
Stage 7: Short multiplication The step here involves adding 210 and 50 mentally with only the 5 in the tens column being recorded.	TU x U TU x TU HTU x TU ThHTU x U	$ \begin{array}{c} 3 & 8 \\ \underline{x} & 7 \\ \hline 266 \\ \hline 5 \\ \hline 3 & 8 \times 5 & 6 & \text{is approximately } 3 & 0 \times 6 & 0 = 1 & 8 & 0 & 0 \end{array} $
2 digit x 2 digit and beyond. Using rounding to make an estimation prior to the calculation.		3 8 X 5 6 4 8 1 8 0

	4 0
	1500 1768
	1768
	1

Division

The Different Stages	Number Development	Strategy – What it Looks Like
See Mental Calculation policy section to		
review gaps and progression in mental times		
table and division facts knowledge.		
Stage 1: Children physically sharing objects	Numbers up to 30	6 sweets shared between 2 children.
Stage 2: Children will develop their understanding of division and use jottings to support calculations. (Pictoral and arrays)	2,5 10 times tables	Sharing equally 6 sweets shared between 2 people. How many do they get each? 1. Pictoral division 6 divided by 3 – 6 sweets divided between 3 people 10 ÷2= 5
Stage 3: Repeated Subtraction	All times tables	$12 \div 3 = 4$
	1	

		0 1 2 3 4 5 6 7 8 9 10 11 12
Including repeated subtraction leading to a remainder.		13÷3= 4r1 0 1 2 3 4 5 6 7 8 9 10 11 12 13
Stage 4: Repeated Subtraction, subtracting multiples of the divisor. (KS2 or when appropriate)	All times tables TU ÷ U	1x5=5 (-5) 2 7 27
		0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20
Stage 5: Chunking method	TU ÷ U HTU ÷ U TU ÷ TU	96 ÷ 6
		1 6 6) 96 - 60 10x 36 - 36 6x 0
		Answer: 16
		2 5 6 ÷ 7 =
		7 2 5 6 7 0 1 0 x 7



		1 8 6
		-1 4 0 2 0 x 7
		4 6
		4 2 <u>6 x 7</u>
		4
		S 10 + 20 + 6 26 4
		So $1\ 0 + 2\ 0 + 6 = 3\ 6\ r\ 4$
Stage 5: Short Division	TU ÷ U	560 ÷ 4
	HTU ÷ U	1 4 0
	TU ÷ TU	4)5160
	HTU ÷ TU	
Stage 6: Long Division	TU ÷ U	5 6 0 ÷ 2 4
	HTU ÷ U	2 3
	TU ÷ TU	2 4) 5 6 0
	HTU ÷ TU	4 8 0
		8 0
		7 2
		8
		Answer 23 r 8